

Base 16 (hexidecimal), positional notation for numbers:

"**0x**", "**x**", and "**h**" indicate hex representation for **C**, **LC3as**, and **verilog**, respectively

 χ a base-16 digit (hex). May also represent the value of that digit.

 χ_{i} the base-16 digit in the i-th place. May also represent the value of that digit.

$$\frac{\text{hex representation}}{x_3 x_2 x_1 x_0} \xrightarrow{\rightarrow} x_3 \cdot 16^3 + x_2 \cdot 16^2 + x_1 \cdot 16^1 + x_0 \cdot 16^0}$$

$$1 \ 2 \ 3 \ 4 \longrightarrow 1 \cdot 16^3 + 2 \cdot 16^2 + 3 \cdot 16^1 + 4 \cdot 16^0$$

۷	alues	of	hex	digits
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Hex Digit	Binary	Decimal	Hex Digit	Binary	Decimal
0	0000	0	8	1000	8
1	0001	1	9	1001	9
2	0010	2	Α	1010	10
3	0011	3	В	1011	11
4	0100	4	С	1100	12
5	0101	5	D	1101	13
6	0110	6	E	1110	14
7	0111	7	F	1111	15

$$(1 2 3 4)$$

$$= (1 \cdot 16^{3} + 2 \cdot 16^{2} + 3 \cdot 16^{1} + 4 \cdot 16^{6})$$

$$= ((2^{0}) \cdot 16^{3} + (2^{1}) \cdot 16^{2} + (2^{1} + 2^{0}) \cdot 16^{1} + (2^{2}) \cdot 16^{6})$$

$$= ((2^{0}) \cdot (2^{4})^{3} + (2^{1}) \cdot (2^{4})^{2} + (2^{1} + 2^{0}) \cdot (2^{4})^{1} + (2^{2}) \cdot (2^{4})^{6})$$

$$= ((2^{0}) 2^{12} + (2^{1}) 2^{8} + (2^{1} + 2^{0}) 2^{4} + (2^{2}) 2^{2})$$

$$= ((0 \cdot 2^{3} + 0 \cdot 2^{2} + 0 \cdot 2^{1} + 1 \cdot 2^{6}) 2^{12} + (0 \cdot 2^{3} + 0 \cdot 2^{2} + 1 \cdot 2^{1} + 0 \cdot 2^{0}) 2^{8} + (0 \cdot 2^{3} + 0 \cdot 2^{2} + 1 \cdot 2^{1} + 1 \cdot 2^{0}) 2^{4} + (0 \cdot 2^{3} + 0 \cdot 2^{2} + 1 \cdot 2^{1} + 1 \cdot 2^{0}) 2^{4} + (0 \cdot 2^{3} + 0 \cdot 2^{1} + 0 \cdot 2^{1} + 1 \cdot 2^{1} + 1 \cdot 2^{0}) 2^{4} + (0 \cdot 2^{3} + 0 \cdot 2^{1} + 0 \cdot 2^{1} + 1 \cdot 2^{1} + 1 \cdot 2^{0}) 2^{4} + (0 \cdot 2^{3} + 1 \cdot 2^{2} + 0 \cdot 2^{1} + 0 \cdot 2^{0}) 2^{0})$$

$$= ((0 \cdot 2^{15} + 0 \cdot 2^{14} + 0 \cdot 2^{13} + 1 \cdot 2^{12}) + (0 \cdot 2^{3} + 1 \cdot 2^{5} + 1 \cdot 2^{1} + 1 \cdot 2^{0}) + (0 \cdot 2^{1} + 0 \cdot 2^{1} + 1 \cdot 2^{1} + 1 \cdot 2^{0}) + (0 \cdot 2^{3} + 1 \cdot 2^{2} + 0 \cdot 2^{1} + 1 \cdot 2^{0}) + (0 \cdot 2^{3} + 1 \cdot 2^{2} + 0 \cdot 2^{1} + 1 \cdot 2^{0}))$$

$$= (0 \circ 0 1 0 0 1 0 0 1 1 0 1 0 0)$$

$$+ k + (k_{2}^{2^{3}} + k_{2}^{2^{2}} + k_{2}^{2^{1}} + k_{2}^{2^{0}}) (2^{4})^{k} = k_{2} k_{2} k_{1} k_{1} 0 0 0 0 0 \cdots 0$$

$$+ (k_{2}^{2^{3}} + k_{2}^{2^{2}} + k_{2}^{2^{1}} + k_{2}^{2^{0}}) (2^{4})^{k-1} = k_{2} k_{2} k_{1} k_{1} 0 0 \cdots 0$$



See execution, check results, debug code

Using a Simulator we can

---- See Machine's Content

Registers: R0-R7, IR, PC, MAR, MDR, PSR (in hex notation) Memory: address/content (in hex, w/ translation to .asm) Branch conditions: CC (usually as "Z" or "N" or "P")

---- Alter Machine's Content (except CC)

Registers Memory location

--- Execute instructions:

STEP (1 instruction)
RUN (w/o stopping)
STOP (stop running)
BREAK (stop when PC points to a particular memory location)

--- Set breakpoints:

Mark memory locations for BREAK

Most things work via double-clicking. Breakpoint set: click a memory line or square icon.

projects/LC3-tools/PennSim.jar

--- Double-click items to change them. Hardware is slightly different from our LC3 and from PP's LC3. Don't use scroll bars, use up/down arrows on your keyboard.

src/LC3-tools/LC3sim: commandline simulator ---See src/Makefile for compiling.

NB--The Makefile compiles the tools, then moves the executables to /bin. I found that LC3sim and LC3sim-tk need to be moved back to src/LC3-tools for them to work. LC3-tools also has other executables (assembler and others) that we will need to use when we get to assembly language programming.

LC3 OS services

An OS is software that is pre-loaded into memory. Preloading is booting in an actual machine. The OS provides services for programs.

Some LC3 simulators (not ours) preloads a very primitive "OS". It is called "LC3os", and here it is (almost all of it):



We can load the same OS using our testbenches. The source code is in src/. The instructions to build and load it are in the Makefile.





Print 4-bit numbers in order, first-to-last (lowest-address to highest-address)



Print 8-bit numbers in order, first-to-last (lowest-address to highest-address)



Basic problem: **NUMBERS are Arabic** (right-to-left), and our writing is left-to-right. In olden times, numbers were expressed in writing, e.g., "four and twenty blackbirds", left-to-right, in writing order. If we wrote numbers left-to-right, least-significant-to-most-significant, case (1.) would be perfect. If we wrote everything right-to-left, case (1.) would have all bits reversed, and be perfect, too.

More on the difference between ascii representation of bits and actual bits. At a unix terminal window, enter

echo "abcd" | od -t x1

You will see the ascii codes for each byte that **echo** sent to **od** (plus an extra byte for an assumed endof-line), expressed in hex:

61 62 63 64 0a

We would naturally think of this as the bytes of memory left-to-right. Now enter this,

echo "1234" | od -t x1

You will again see ascii codes. The "real" bits for the first character, "1", are equivalent to x31, or 00110001 in actual bits. Next change the "x1" to "x2", and to "x4". You will see this,

31 32 33 34

3231 3433

34333231

If you think of the first byte in memory as containing the least-significant bits of a number, it would depend on the number of bytes the number had as to which byte you display first. If the number has 16 bits, then the first 16 bits would be expressed 3231 in hex, but if it was a 32-bit number, you would display 34333231 in hex.

But, if we read things in right-to-left order, thinking of memory as laid out right-to-left, and printing bytes right-to-left, we would have,

"4321" "4" "3" "2" "1" 34 33 32 31 3433 3231

34333231

In all cases, the least-significant bit is the rightmost, the least significant byte is the rightmost, and so forth. To accommodate the switching back and forth (and some other less important reasons), some machines put the most-significant byte of a number in the lowest byte address (called "big endian", as opposed to "little endian").



x0000, LC3 16-bit address x0001 is 2B from x0000

1B-addressable memory:

LSb

17-bit address 0000000000000000 ==> LSB 17-bit address 000000000000001 ==> MSB Small-end of memory: address x0000 Big-end of memory : address xFFFF

Little-endian: least-significant toward small end

