

## SOLVING PROBLEMS BY SEARCHING

<b>function</b> BEST-FIRST-SEARCH( <i>problem</i> , <i>f</i> ) <b>returns</b> a solution node or <i>failure</i> $node \leftarrow \text{NODE}(\text{STATE}=problem.INITIAL)$ $frontier \leftarrow a \text{ priority queue ordered by } f$ , with <i>node</i> as an element $reached \leftarrow a \text{ lookup table}$ , with one entry with key <i>problem.INITIAL</i> and value <i>node</i> <b>while not</b> IS-EMPTY( <i>frontier</i> ) <b>do</b> $node \leftarrow \text{POP}(frontier)$
if problem.IS-GOAL(node.STATE) then return node
for each child in EXPAND(problem, node) do $s \leftarrow child.STATE$
<b>if</b> s is not in reached <b>or</b> child.PATH-COST < $reached[s]$ .PATH-COST <b>then</b> reached[s] $\leftarrow$ child
add child to frontier
return failure
<b>function</b> EXPAND( <i>problem</i> , <i>node</i> ) <b>yields</b> nodes $s \leftarrow node$ .STATE
for each $action$ in $problem$ . ACTIONS $(s)$ do
$s' \leftarrow problem. \texttt{RESULT}(s, action)$
$cost \leftarrow node.$ PATH-COST + $problem.$ ACTION-COST $(s, action, s')$
<b>yield</b> NODE(STATE=s', PARENT=node, ACTION=action, PATH-COST=cost)

**Figure 3.7** The best-first search algorithm, and the function for expanding a node. The data structures used here are described in Section **??**. See Appendix B for **yield**.